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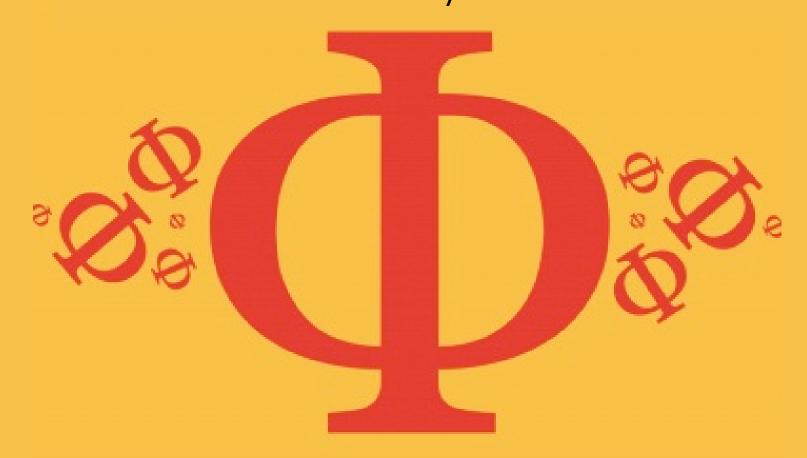
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Detailed mark scheme

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# 9.1 Simple Harmonic Motion Easy



# PHYSICS

**IB HL** 



# 9.1 Simple Harmonic Motion

## **Question Paper**

Course	DP IB Physics
Section	9. Wave Phenomena (HL only)
Topic	9.1 Simple Harmonic Motion
Difficulty	Easy

### **EXAM PAPERS PRACTICE**

Time allowed: 20

Score: /10

Percentage: /100



Which equation correctly shows the kinetic energy-displacement relation for simple harmonic motion?

$$A.K_E = \frac{1}{2}mv^2$$

$$\mathsf{B.}E_T = \frac{1}{2}m\omega^2 x_0^{\ 2}$$

$$C.E_p = \frac{1}{2}k\Delta x^2$$

D. 
$$E_K = \frac{1}{2}m\omega^2(x_0^2 - x^2)$$

[1 mark]

#### **Question 2**

The defining equation of SHM describes the relationship between acceleration, a, angular frequency,  $\omega$ , and displacement, x, from the equilibrium position:

$$a = -\omega^2 x$$

Which value correctly shows the resulting acceleration if the angular frequency was doubled?

A. **-4**a

**EXAM PAPERS PRACTICE** 

$$B.\frac{1}{4}a$$

C.2a

D.4a



Which equation is used for calculating the displacement as a function of time for an oscillator that begins its oscillation from the equilibrium position?

$$A.x = x_0 \sin \omega t$$

$$B. v = \omega x_0 \cos \omega t$$

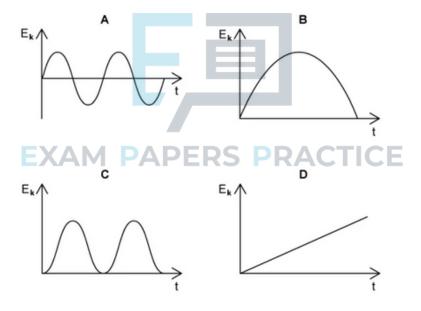
$$C. a = -\omega^2 x_0 \sin \omega t$$

D. 
$$a = -\omega x$$

[1 mark]

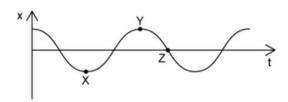
#### **Question 4**

Which graph correctly shows how the kinetic energy of an oscillator varies as a function of time through one complete oscillation?





The graph shows the displacement over time of a simple pendulum oscillating in simple harmonic motion.



What is the potential energy of the pendulum at points X, Y and Z?

	Х	Υ	Z
A.	Max	Zero	Max
В.	Zero	Max	Zero
C.	Max	Max	Zero
D.	Zero	Zero	Max

[1 mark]

#### Question 6

A spring loaded with mass m oscillates with simple harmonic motion. The amplitude of the motion is A and the spring has total energy E.

What is the total energy of the spring when both the mass and the amplitude are doubled?

 $A.E_T$ 

 $B.2E_T$ 

C.4E<sub>T</sub>

 $D.8E_T$ 



A simple pendulum undergoes simple harmonic motion. The kinetic energy of the pendulum is at a maximum at the equilibrium position.

How many times during one oscillation is the kinetic energy of the pendulum equal to its gravitational potential energy?

- A.1
- B. 2
- C.3
- D.4

[1 mark]

#### Question 8

 $A\,mass\,with\,mass,\,m,\,is\,attached\,to\,a\,spring\,with\,a\,spring\,constant,\,k,\,and\,oscillates\,in\,simple\,harmonic\,motion\,with\,a\,period,\,and\,oscillates\,in\,simple\,harmonic\,motion\,with\,a\,period,\,and\,oscillates\,in\,simple\,harmonic\,motion\,with\,a\,period,\,and\,oscillates\,in\,simple\,harmonic\,motion\,with\,a\,period,\,and\,oscillates\,in\,simple\,harmonic\,motion\,with\,a\,period,\,and\,oscillates\,in\,simple\,harmonic\,motion\,with\,a\,period,\,and\,oscillates\,in\,simple\,harmonic\,motion\,with\,a\,period,\,and\,oscillates\,in\,simple\,harmonic\,motion\,with\,a\,period,\,and\,oscillates\,in\,simple\,harmonic\,motion\,with\,a\,period,\,and\,oscillates\,in\,simple\,harmonic\,motion\,with\,a\,period,\,and\,oscillates\,in\,simple\,harmonic\,motion\,with\,a\,period,\,and\,oscillates\,in\,simple\,harmonic\,motion\,with\,a\,period,\,and\,oscillates\,in\,simple\,harmonic\,motion\,with\,a\,period,\,and\,oscillates\,in\,simple\,harmonic\,motion\,with\,a\,period,\,and\,oscillates\,in\,simple\,harmonic\,motion\,with\,a\,period,\,and\,oscillates\,in\,simple\,harmonic\,motion\,with\,a\,period,\,and\,oscillates\,in\,simple\,harmonic\,motion\,with\,a\,period,\,and\,oscillates\,in\,simple\,harmonic\,motion\,with\,a\,period,\,and\,oscillates\,in\,simple\,harmonic\,motion\,with\,a\,period,\,and\,oscillates\,in\,simple\,harmonic\,motion\,with\,a\,period,\,and\,oscillates\,in\,simple\,harmonic\,motion\,with\,a\,period,\,and\,oscillates\,in\,simple\,harmonic\,motion\,with\,a\,period,\,and\,oscillates\,in\,simple\,harmonic\,motion\,with\,a\,period,\,and\,oscillates\,in\,simple\,harmonic\,motion\,with\,a\,period,\,and\,oscillates\,in\,simple\,harmonic\,motion\,with\,a\,period,\,and\,oscillates\,in\,simple\,harmonic\,motion\,with\,a\,period,\,and\,oscillates\,in\,simple\,harmonic\,motion\,with\,a\,period,\,and\,oscillates\,in\,simple\,harmonic\,motion\,with\,a\,period,\,and\,oscillates\,in\,simple\,harmonic\,motion\,with\,a\,period,\,and\,oscillates\,in\,simple\,harmonic\,motion\,with\,a\,period,\,and\,oscillates\,in\,simple\,harmonic\,motion\,with\,a\,period,\,and\,oscillates\,in\,simple\,harmonic\,motion\,with\,a\,period,\,and\,oscillates\,in\,simple\,harmonic\,motion\,with\,a\,period,\,and\,oscillates\,in\,simple\,harmonic\,motion\,with\,a\,period,\,and\,oscillates\,in\,simple\,harmonic\,motion\,with\,a\,period,\,and\,oscillat$ 

**EXAM PAPERS PRACTICE** 

Т.

A new spring is introduced with a spring constant of 4k. How does this affect the period of the oscillation?

- A.  $\frac{1}{4}T$
- B.  $\frac{1}{2}T$

C.2*T* 

D.4T

[1 mark]

#### Question 9

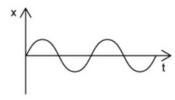
A small ball is attached to a thread of length I, and set to oscillate isochronously.

If the length of the thread is reduced by 10%, what effect will this have on the period, T, of the oscillation?

- A. 0.1 T
- B. 0.3 T
- C.0.6T
- D.0.9T



 $A \ particle \ oscillates \ in \ simple \ harmonic \ motion. The \ particle's \ displacement \ over time \ is \ shown \ in \ the \ following \ graph.$ 



Which graphs are the correct velocity-time and acceleration-time graphs for this particle?

