| 2.2 Queues | Name: |  |
| :--- | :--- | :--- |
|  | Class: |  |
|  | Date: |  |

Time: ..... 45 minutes
Marks: ..... 39 marks

Comments:

## Q1.

Figure 1 is a graph that shows the time it takes to travel between six locations in a warehouse. The six locations have been labelled with the numbers $1-6$. When there is no edge between two nodes in the graph this means that it is not possible to travel directly between those two locations. When there is an edge between two nodes in the graph the edge is labelled with the time (in minutes) it takes to travel between the two locations represented by the nodes.

Figure 1

(a) The graph is represented using an adjacency matrix, with the value 0 being used to indicate that there is no edge between two nodes in the graph.

A value should be written in every cell.
Complete the unshaded cells in Table 1 so that it shows the adjacency matrix for Figure 1.

Table 1

|  | 1 | 2 | 3 | 4 | 5 | 6 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| 1 |  |  |  |  |  |  |
| 2 |  |  |  |  |  |  |
| 3 |  |  |  |  |  |  |
| 4 |  |  |  |  |  |  |
| 5 |  |  |  |  |  |  |
| 6 |  |  |  |  |  |  |

(b) Instead of using an adjacency matrix, an adjacency list could be used to represent the graph. Explain the circumstances in which it would be more appropriate to use
an adjacency list instead of an adjacency matrix.
$\qquad$
$\qquad$
$\qquad$
$\qquad$
(c) State one reason why the graph shown in Figure $\mathbf{1}$ is not a tree.
$\qquad$
$\qquad$
(d) The graph in Figure 1 is a weighted graph. Explain what is meant by a weighted graph.
$\qquad$


Figure 2 contains pseudo-code for a version of Djikstra's algorithm used with the graph in Figure 1.
$Q$ is a priority queue which stores nodes from the graph, maintained in an order based on the values in array $D$. The reordering of $Q$ is performed automatically when a value in $D$ is changed.

AM is the name given to the adjacency matrix for the graph represented in Figure 1.
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```
Q empty queue
FOR C1 \leftarrow 1 TO 6
    D[C1]}\leftarrow2
    P[C1] \leftarrow-1
    ADD C1 TO Q
ENDFOR
D[1] \leftarrow0
WHILE Q NOT EMPTY
    U }\leftarrow\mathrm{ get next node from Q
    remove U from Q
    FOR EACH V IN Q WHERE AM[U, V] > 0
        A}\leftarrow\textrm{D}[\textrm{U}]+\textrm{AM}[\textrm{U},\textrm{V}
        IF A < D[V] THEN
        D[V]}\leftarrow
        P[V]}\leftarrow
```

ENDIF
ENDFOR
ENDWHILE
OUTPUT D[6]
(e) Complete the unshaded cells of Table 2 to show the result of tracing the algorithm shown in Figure 2. Some of the trace, including the maintenance of $Q$, has already been completed for you.

Table 2

|  |  |  |  |  | D |  |  |  |  |  | P |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| U | Q | v | A |  | 1 | 2 | 3 | 4 | 5 | 6 | 1 | 2 | 3 | 4 | 5 | 6 |
| - | 1,2,3,4,5,6 | - |  |  | 20 | 20 | 20 | 20 | 20 | 20 | -1 | -1 | -1 | -1 | -1 | -1 |
|  |  |  |  |  | 0 |  |  |  |  |  |  |  |  |  |  |  |
| 1 | 2,3,4,5,6 | 2 |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
|  |  | 3 |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
|  |  | 4 |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
|  |  | 6 |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| 2 | 3,4,5,6 | 3 |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| 3 | 4,5,6 | 6 |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| 4 | 5,6 | 5 |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| 5 | 6 | 6 |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| 6 | - |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |

f) What does the output from the algorithm in Figure 2 represent?

AM W/A E E
$\qquad$
(g) The contents of the array P were changed by the algorithm. What is the purpose of the array $P$ ?
$\qquad$
$\qquad$
$\qquad$
$\qquad$

Q2.
(a) State the name of an identifier for a built-in function used in the Skeleton Program that has a string parameter and returns an integer value.
$\qquad$
$\qquad$
(b) State the name of an identifier for a local variable in a method in the QueueOfTiles class.
$\qquad$
$\qquad$
(c) The Queue OfTiles class implements a linear queue. A circular queue could have been used instead.

Explain why a circular queue is often a better choice of data structure than a linear queue.

(d) It could be argued that the algorithms for a linear queue lead to simpler program code.

State one other reason why a linear queue is an appropriate choice in the Skeleton
Program even though circular queues are normally a better choice.
$\qquad$
(e) State one additional attribute that must be added to the QueueOfTiles class if it were to be implemented as a circular queue instead of as a linear queue.
$\qquad$
$\qquad$
(f) Describe the changes that would need to be made to the Skeleton Program so that the probability of a player getting a one point tile is the same as the probability of them getting a tile worth more than one point. The changes you describe should not result in any changes being made to the points value of any tile.

You should not change the Skeleton Program when answering this question.
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
$\qquad$
(g) The Getchoice subroutine uses a built-in function to convert a string to uppercase.

Describe how a string consisting of lowercase characters could be converted to uppercase using only one iterative structure if the programming language being used does not have a built-in function that can do this conversion.

You may assume that only lowercase characters are entered by the user.
You should not change the Skeleton Program when answering this question.
$\qquad$

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$\qquad$
$\qquad$

## Q3.

A computer program is being developed to play a card game on a smartphone. The game uses a standard deck of 52 playing cards, placed in a pile on top of each other.

The cards will be dealt (ie given out) to players from the top of the deck.
When a player gives up a card it is returned to the bottom of the deck.
(a) Explain why a queue is a suitable data structure to represent the deck of cards in this game.
(b) The queue representing the deck of cards will be implemented as a circular queue in a fixed-size array named DeckQueue. The array DeckQueue has indices running from 1 to 52 .

The figure below shows the contents of the DeckQueue array and its associated pointers at the start of a game. The variable QueueSize indicates how many cards are currently represented in the queue.

| DeckQueue |
| :--- |
| Index Data <br> $[1]$ 10-Spades <br> $[2]$ 2-Hearts <br> $[3]$ King-Clubs <br> $[4]$ Ace-Hearts <br> .  <br> .  <br> .  <br> $[52]$ 8-Clubs |

## FrontPointer $=1$

$$
\text { RearPointer }=52
$$

(i) Twelve cards are dealt from the top of the deck.

What values are now stored in the FrontPointer and RearPointer pointers and the QueueSize variable?

```
FrontPointer = 
```

RearPointer = $\qquad$
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(ii) Next, a player gives up three cards and these are returned to the deck.

What values are now stored in the FrontPointer and RearPointer pointers and the QueueSize variable?
$\qquad$
FrontPointer $=$
RearPointer =

QueueSize = $\qquad$
(c) Write a pseudo-code algorithm to deal a card from the deck.

Your algorithm should output the value of the card that is to be dealt and make any required modifications to the pointers and to the queueSize variable.

It should also cope appropriately with any situation that might arise in the DeckQueue array whilst a game is being played.

